

Inhomogénéités dans les cuprates, extrinsèques ou intrinsèques?

Tristan Cren

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DPMC, University of Geneva

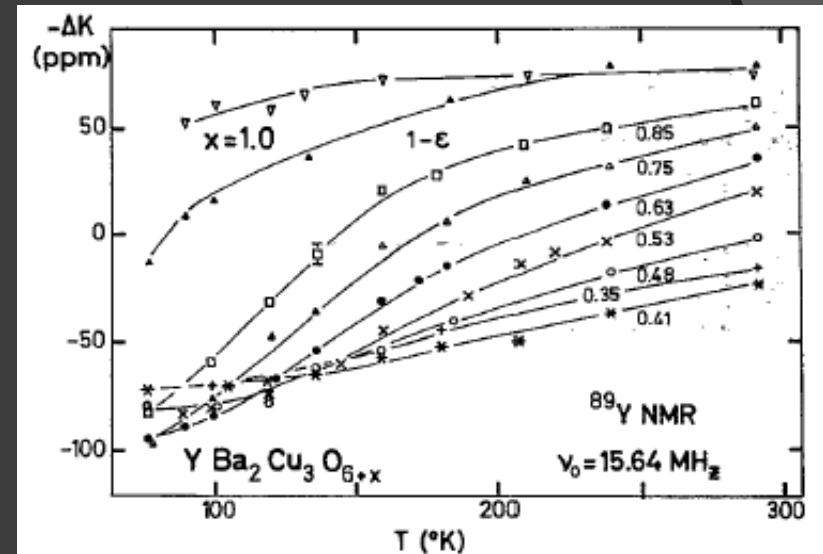
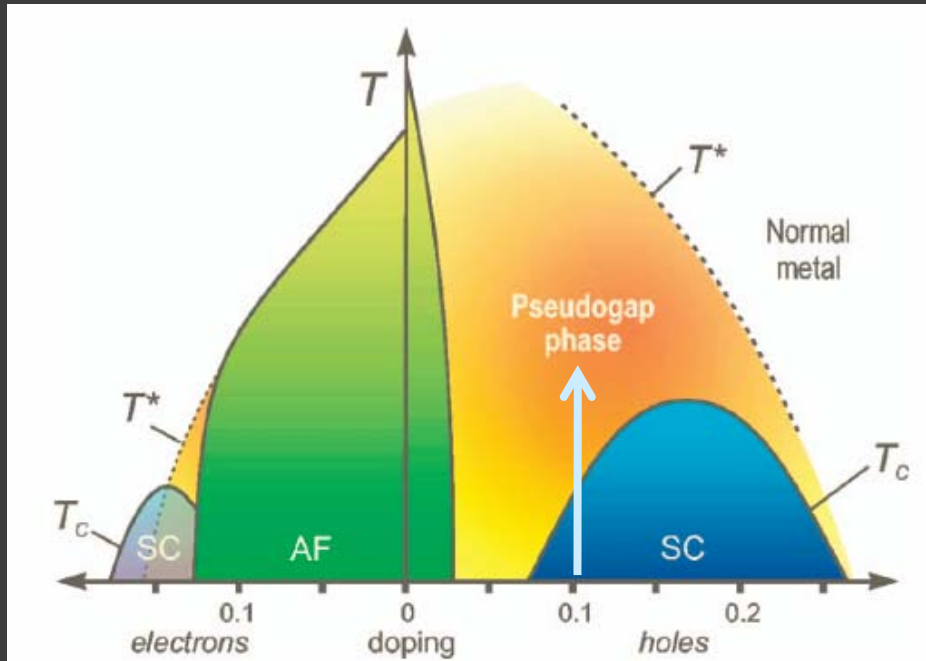
Inhomogeneities in cuprates, extrinsic or intrinsic?

- ⊙ Gap vs. Pseudogap as seen by STS
 - Effect of temperature, vortex and disorder
 - Supermodulation and oxygen dopants
- ⊙ Dispersive modulations
 - Bogoliubov excitations, the octet model
 - Fermi arcs
- ⊙ Non-dispersive modulation
 - The 4x4 modulation in the pseudogap state, around vortex cores
- ⊙ Conclusion

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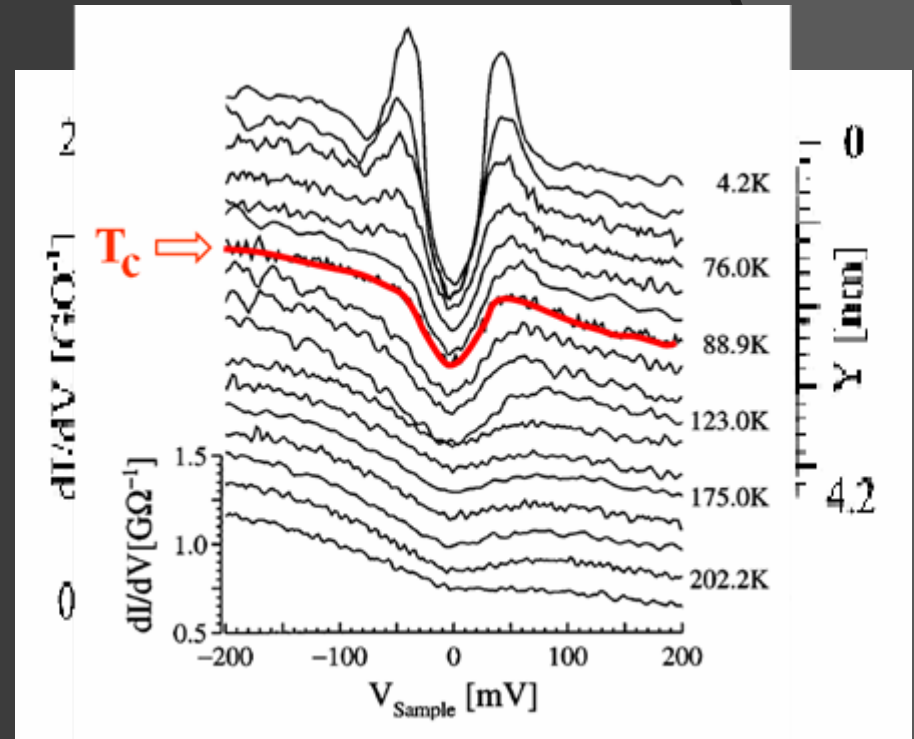
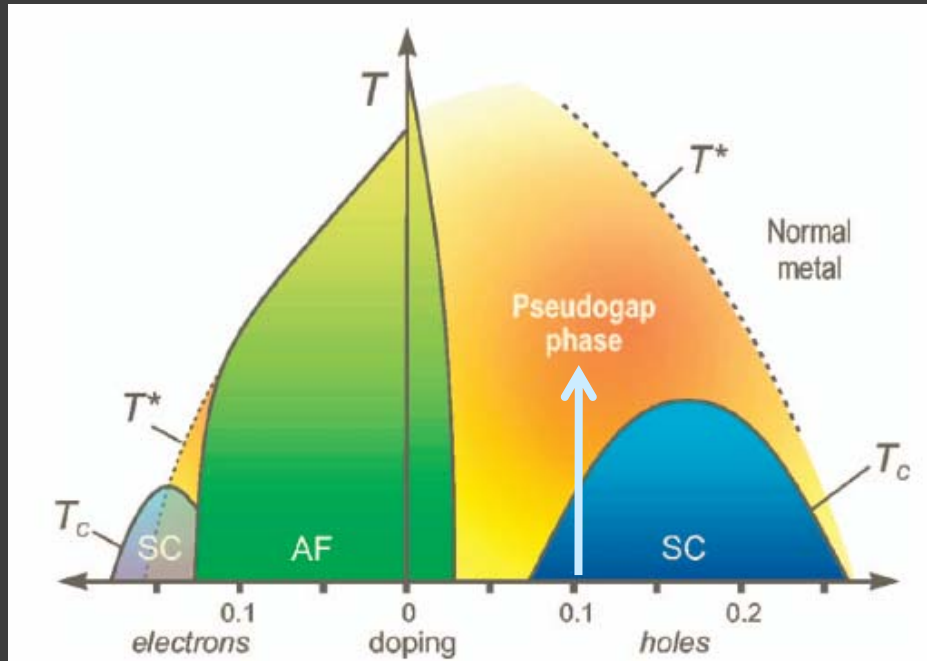
The « normal » state in underdoped cuprates: the pseudogap



Knight shift in NMR,
Alloul et al., PRL 63,1700 (1989)

The rapid decrease of the static paramagnetic susceptibility is a signature of the opening of a pseudogap below T^* .

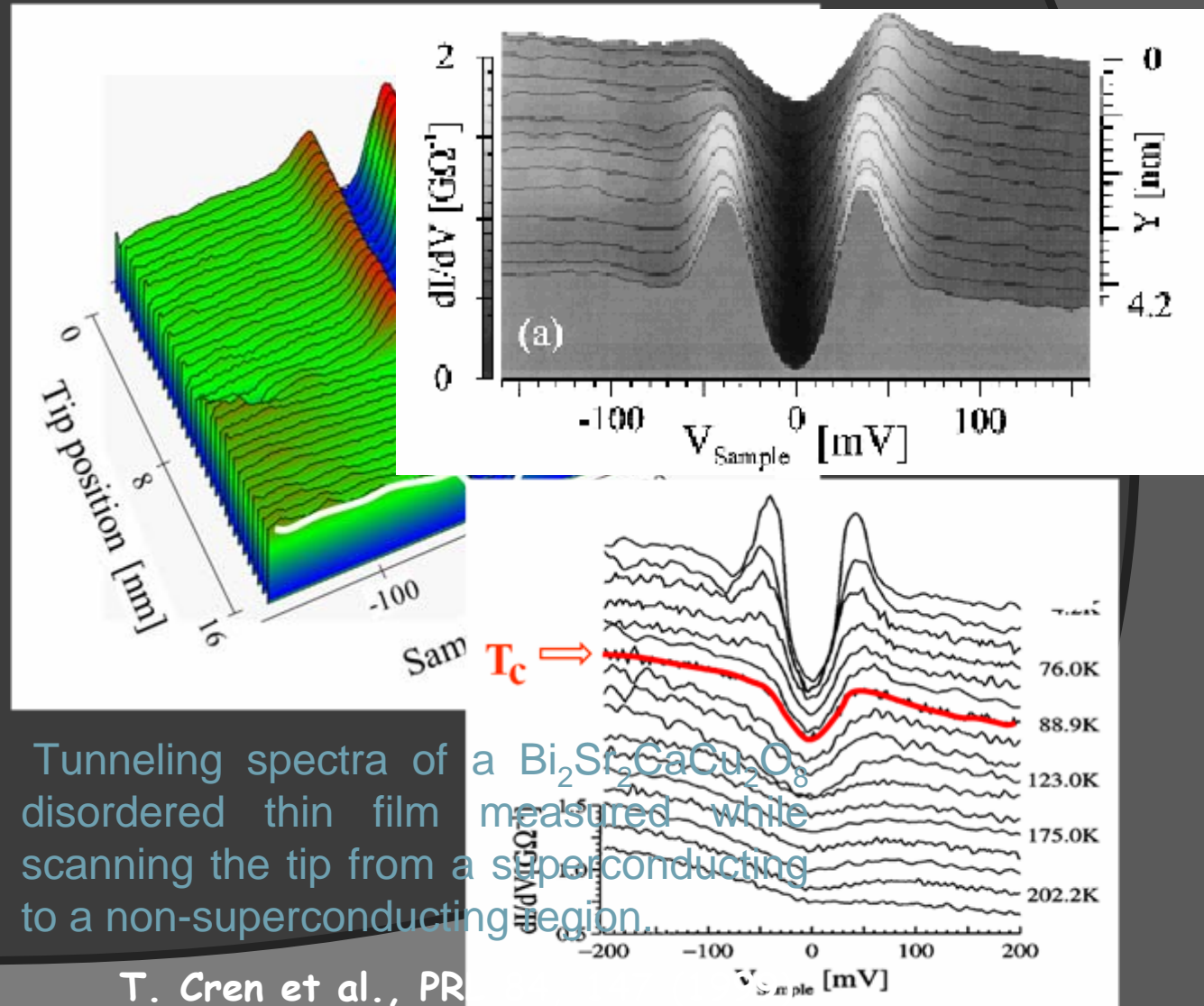
The « normal » state in underdoped cuprates: the pseudogap



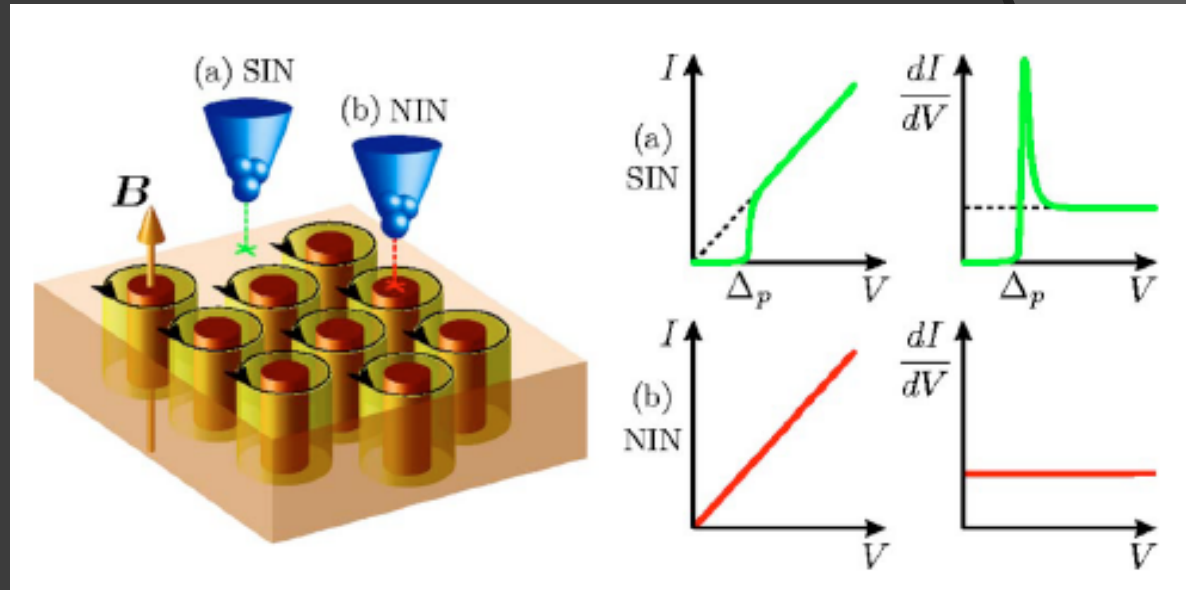
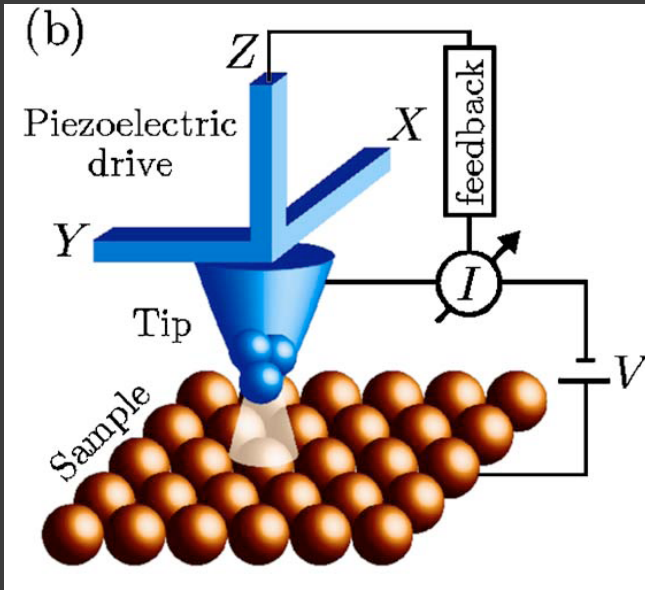
The gapless state at T_c is the normal state, which exhibits a pseudogap.

C. Renner et al., PRL 80, 149 (1998)
C. Renner et al., PRL 80, 3606 (1998)

Scanning tunneling spectroscopy: The low temperature pseudogap

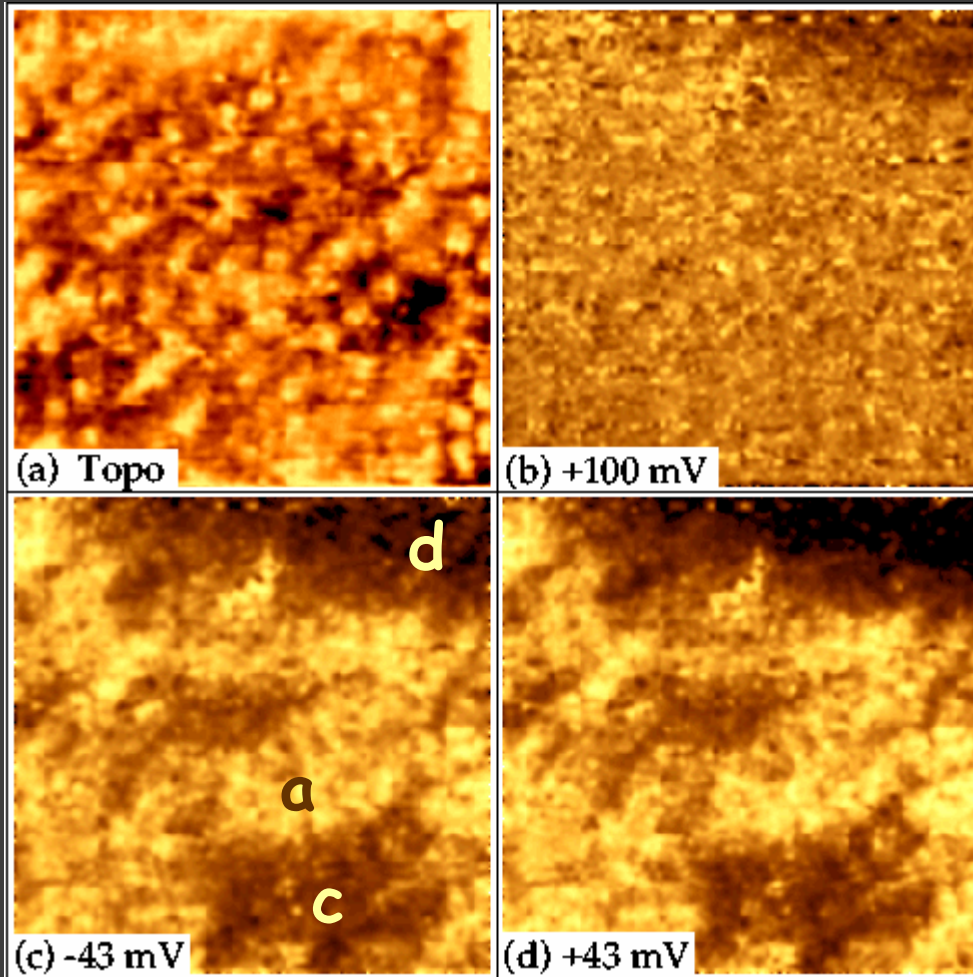


Scanning tunneling spectroscopy



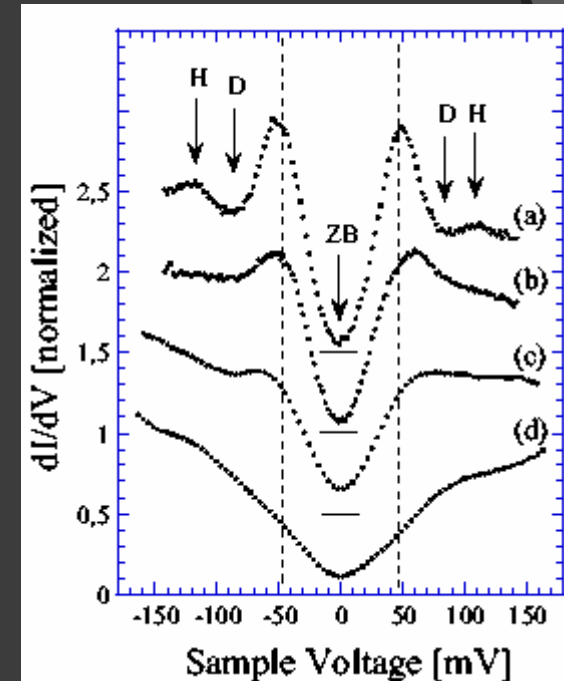
$$dI / dV \propto N(eV, \vec{r}) \quad (T = 0 \text{ K})$$

Spatially Resolved Spectroscopy on $\text{Bi}_{2-x}\text{Pb}_x\text{Sr}_2\text{CaCu}_2\text{O}_7$

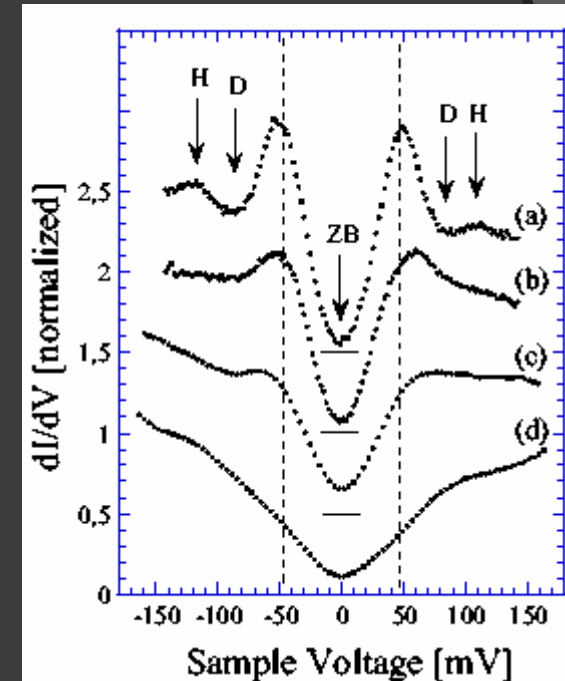
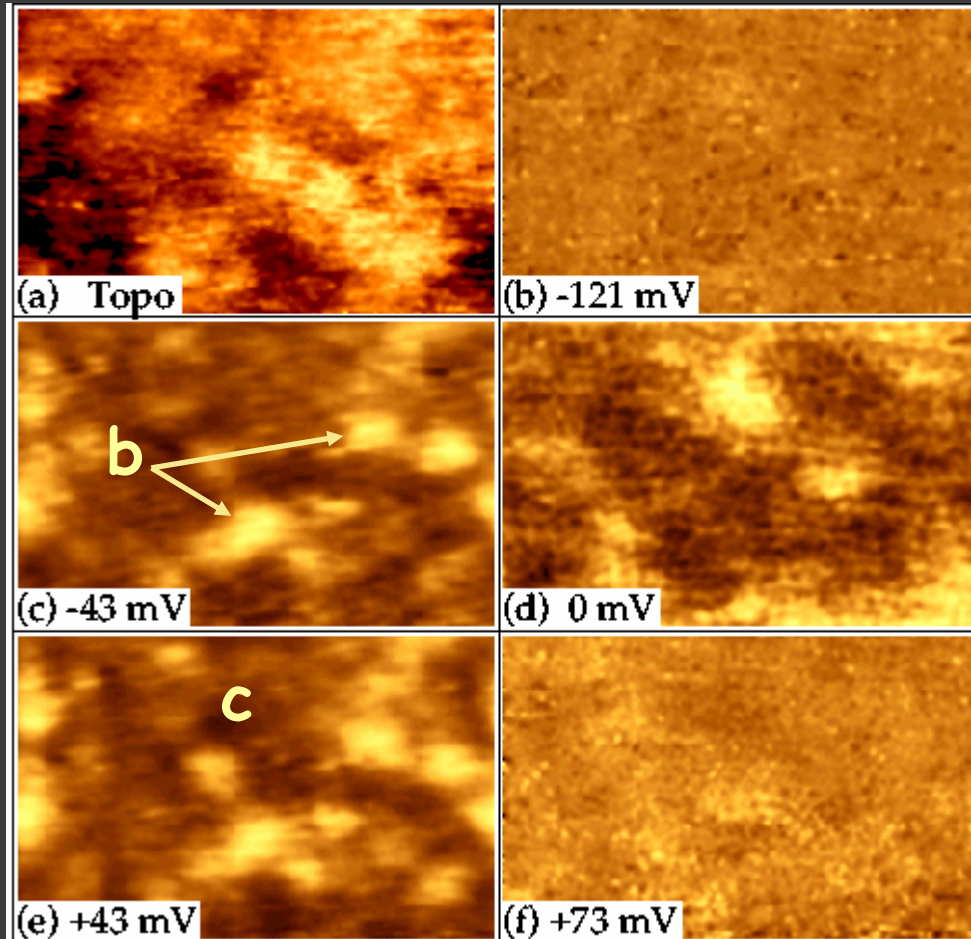


a: topography, $150 \times 150 \text{ nm}^2$

b,c,d: conductance maps ($V_T = 250 \text{ mV}$, $I_T = 200 \text{ pA}$)



Spatially Resolved Spectroscopy on $\text{Bi}_{2-x}\text{Pb}_x\text{Sr}_2\text{CaCu}_2\text{O}_7$



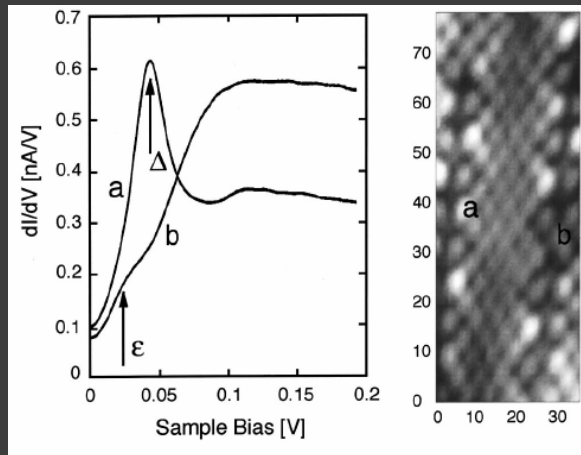
- (a) Long range superconductivity
- (b) Small range superconductivity
- (c) Pseudogap

a: topography, $30 \times 20 \text{ nm}^2$

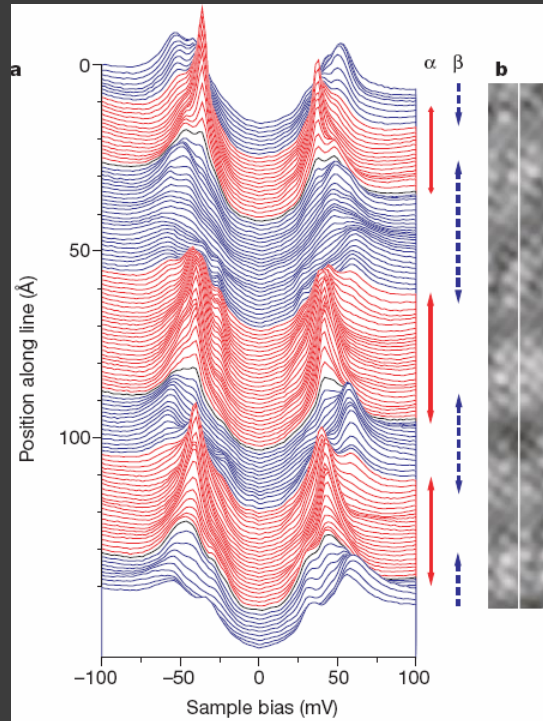
b,c,d: conductance maps ($V_T = 140 \text{ mV}$, $I_T = 100 \text{ pA}$)

T. Cren et al., EPL 54, 84 (2001)

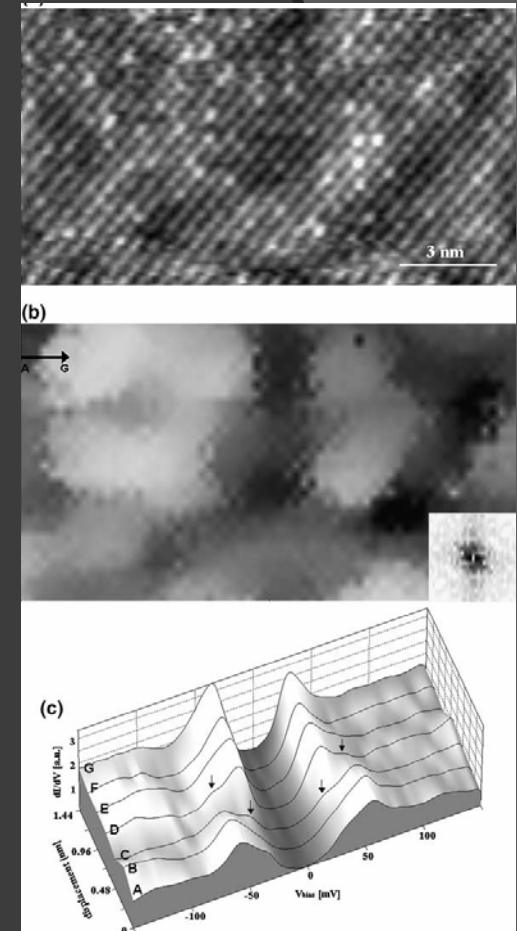
Inhomogeneities in Bi2212



C. Howald et al., Phys. Rev. B 64, 100504 (2001)



K.M. Lang et al., Nature 415, 412 (2002)



A. Sugimoto et al., Physica C 426, 390 (2005)

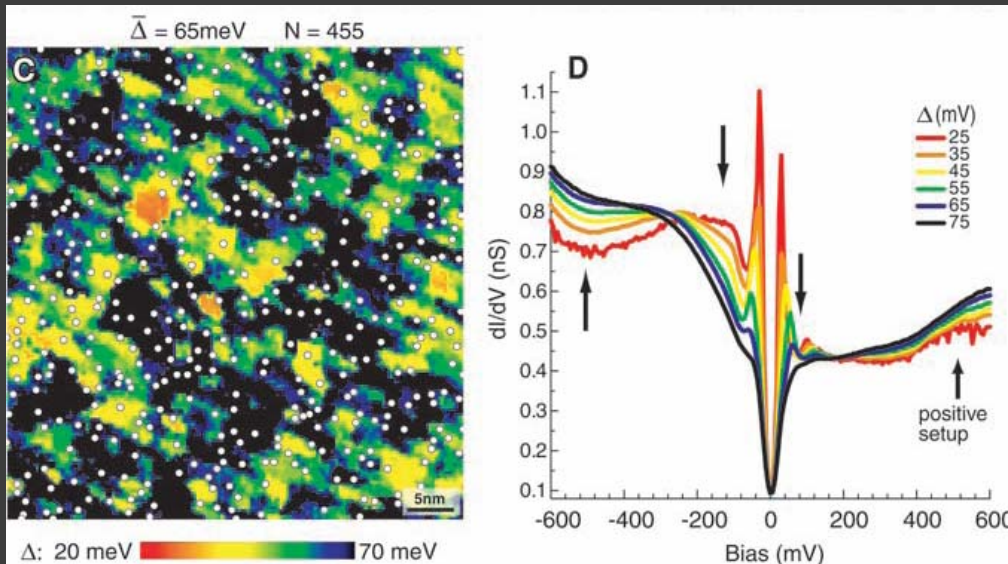
Inhomogeneities in Bi2212 monocrystals

**Atomic resolution
image and gapmap
of Bi-Pb 2212**

Origin of gap-pseudogap inhomogeneities

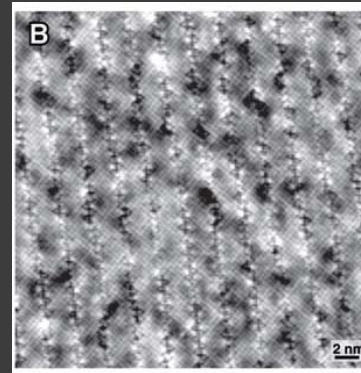
- What is the origin of the pseudogap patches?
 - Substitution
 - Oxygen disorder
 - Supermodulation

Oxygen dopants disorder

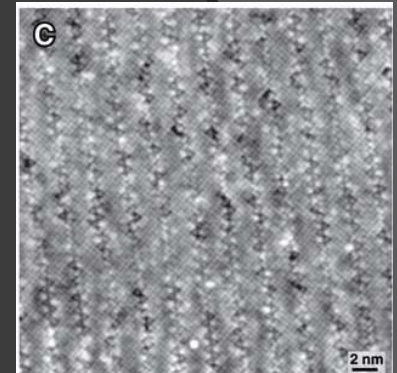


Gap-map and oxygen distribution

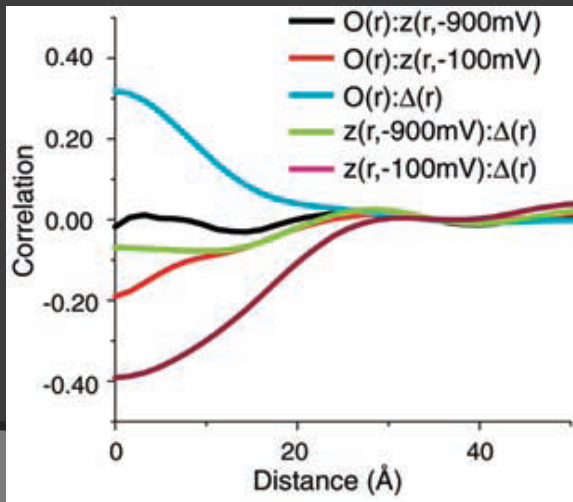
Signature of oxygen dopants



Topography at -100 mV

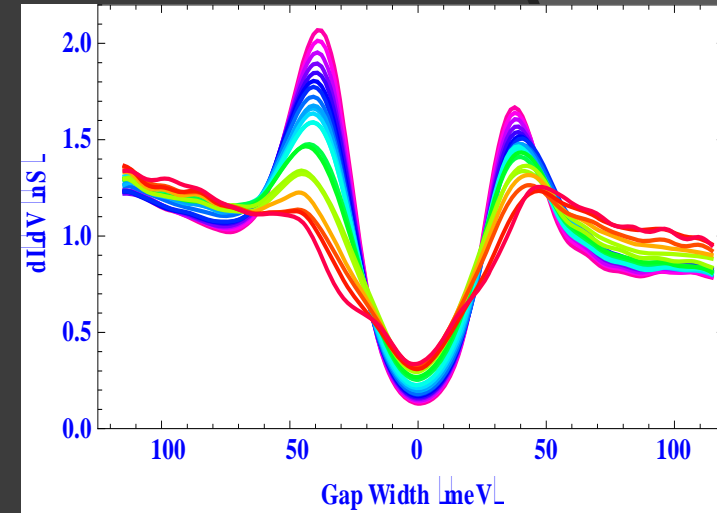
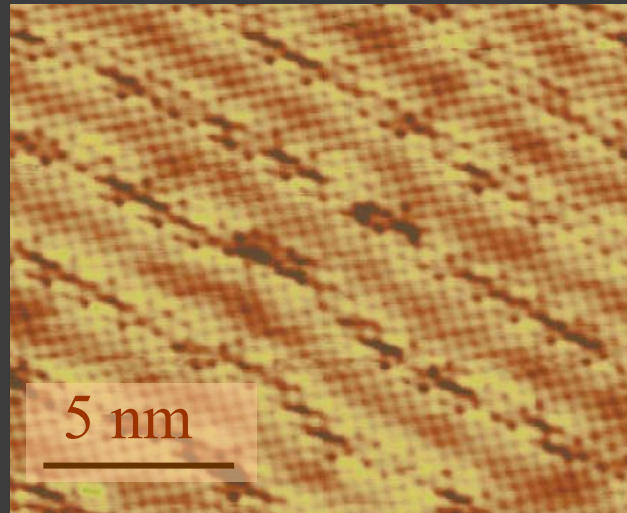
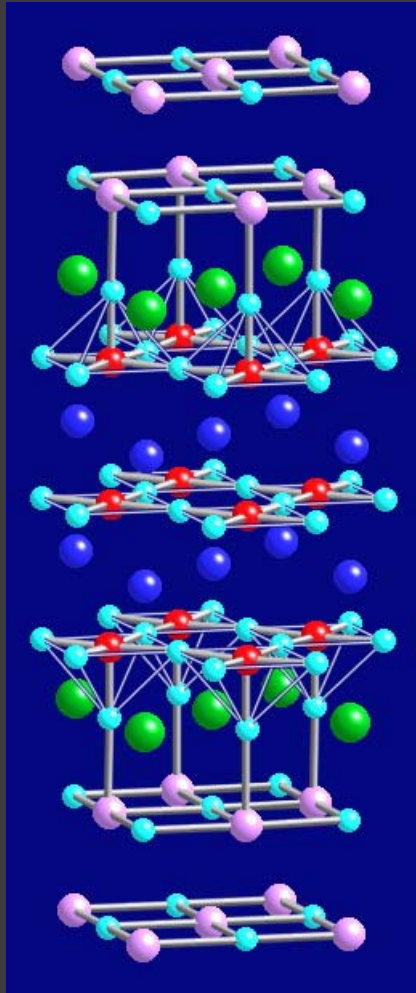


Topography at -900 mV



Cross-correlations among the simultaneously measured $Z(r,V)$, $\Delta(r)$ and $O(r)$ images showing a clear correlation between the gap, the oxygen and the structural disorders.

Supermodulation in $\text{Bi}_2\text{Sr}_2\text{Ca}_2\text{Cu}_3\text{O}_{10+\delta}$

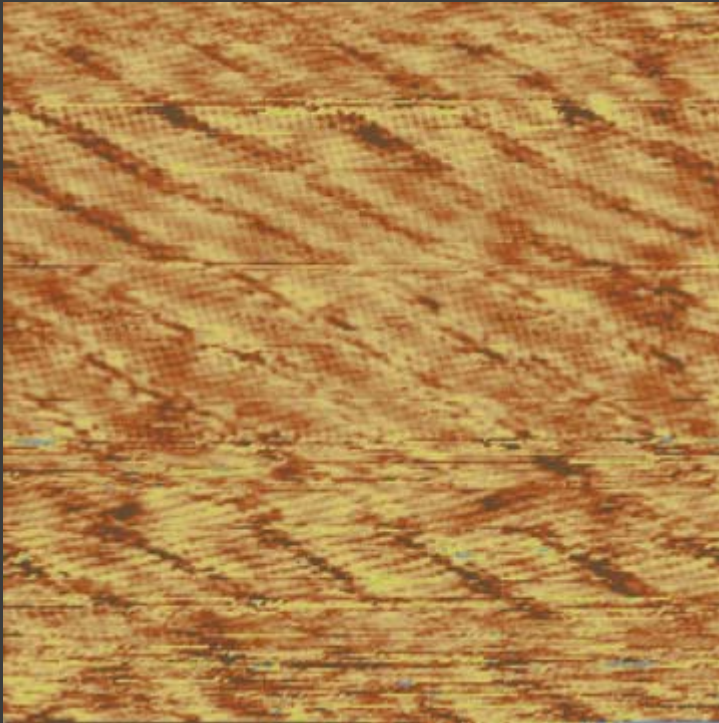


- Triple-layered high- T_c
- $T_c \text{ max} = 111 \text{ K}$

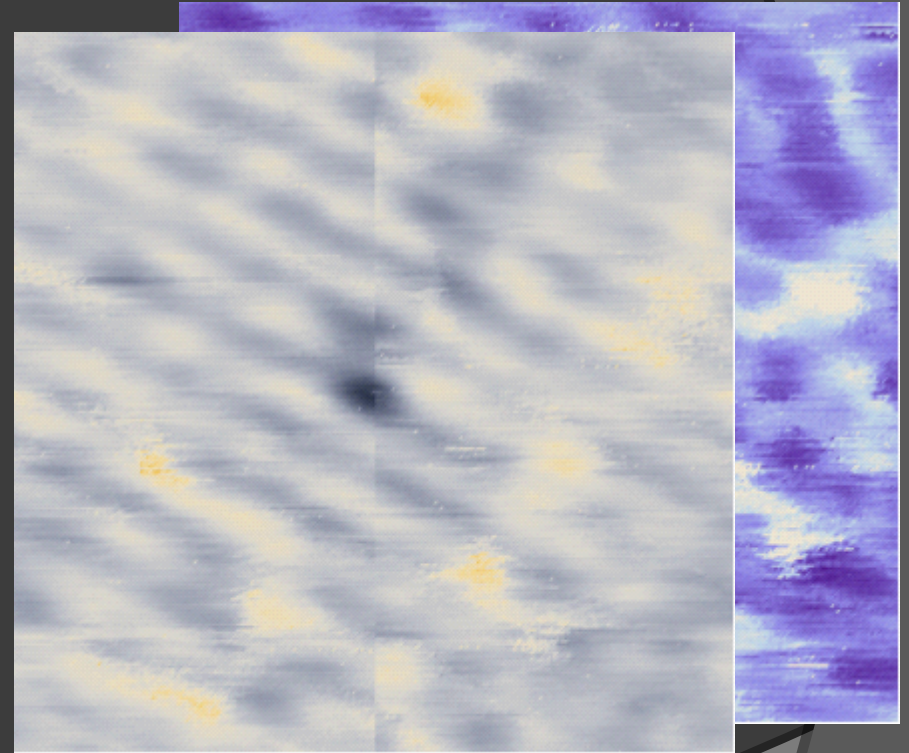
Nathan Jenkins, Alexandre Piriou, Ivan Maggio-Aprile,
Yanina Fasano and Oystein Fischer
DPMC, University of Geneva

Gap vs. Supermodulation

Overdoped Bi2223, T_c of 109.5 K, transition width of 0.8 K.

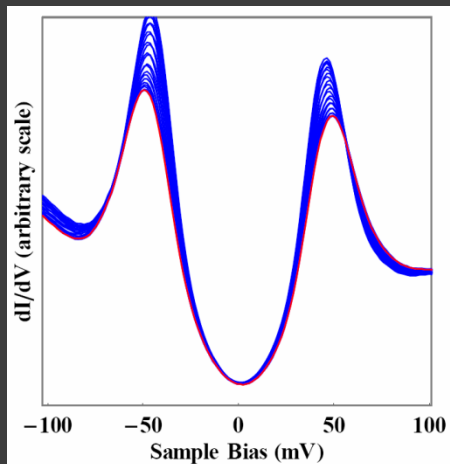
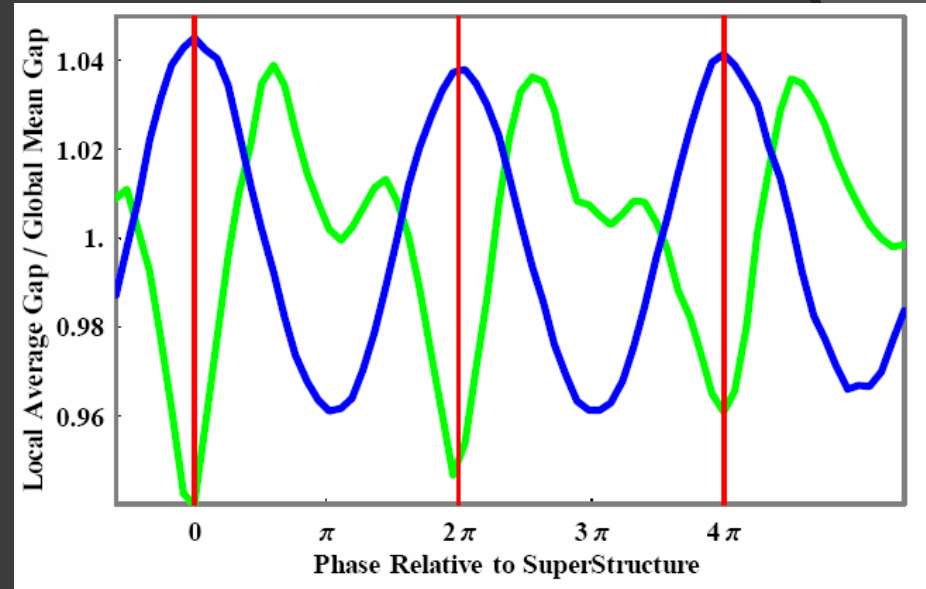
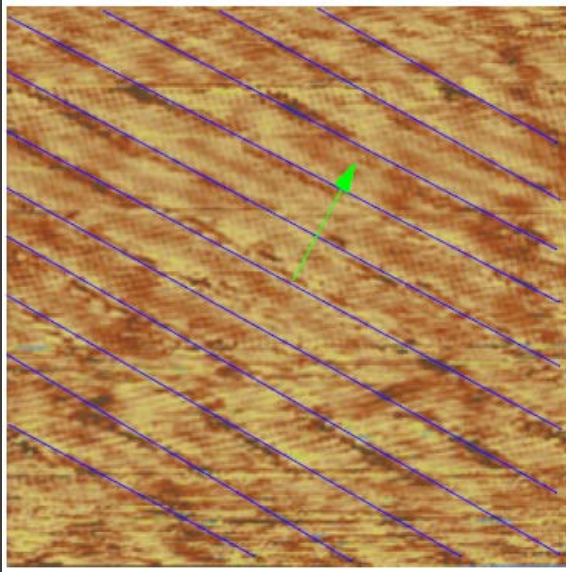


Atomic resolution topographic image showing the supermodulation



Cross correlation of the topographic image and gap-map: Anticorrelation

Gap vs. Supermodulation



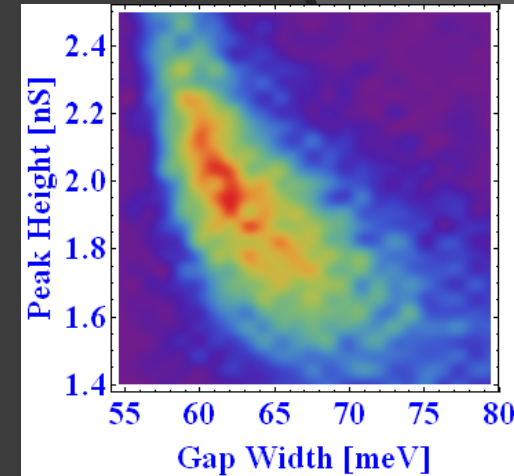
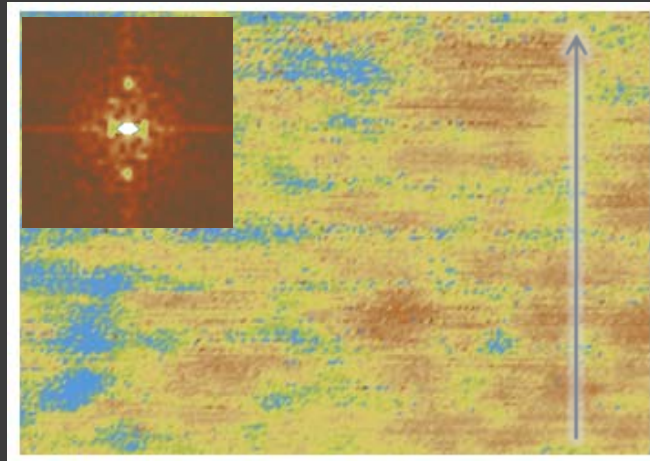
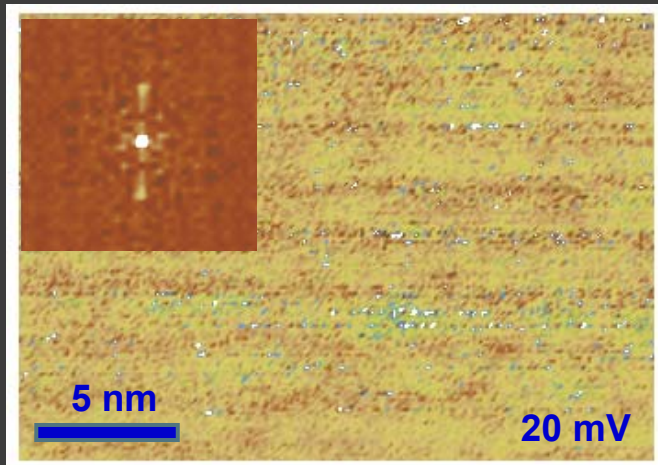
Roughly sinusoidal gap modulation of 8%. The peak height is also modulated.

Similar effects observed in Bi2212

B. M. Andersen, Phys. Rev. B 76, 020507 (2007)

Gap vs. Supermodulation in underdoped Bi2223

Underdoped Bi2223, $T_c = 103$ K, $\Delta T_c = 3.5$ K.



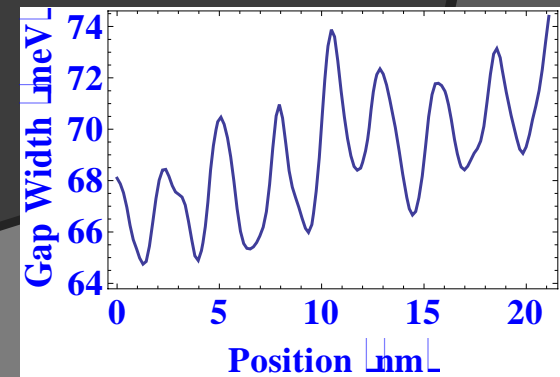
Peak-height vs. Gap

The 2.7 nm supermodulation is seen in the conductance map at all voltages.

The 2.7 nm modulation is also present in the gap-map.

The gap modulation amplitude is roughly 8%

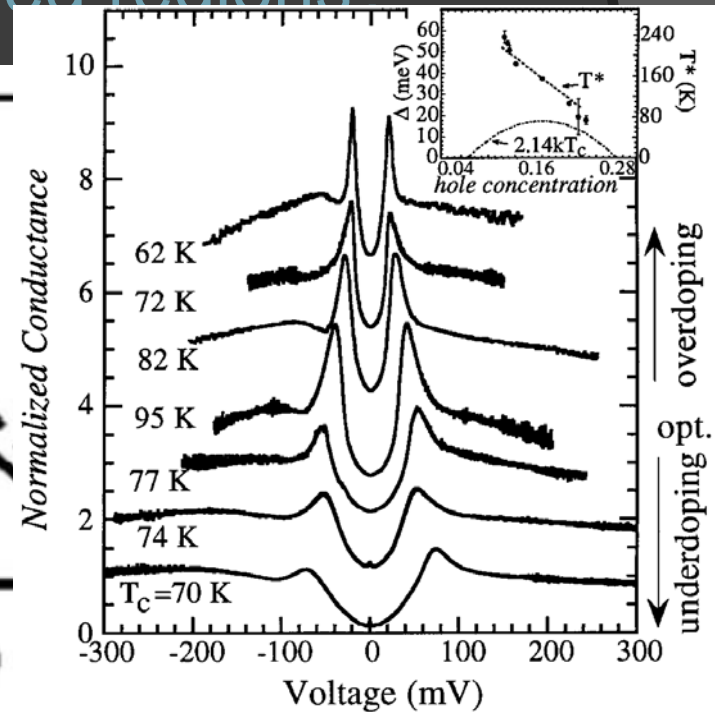
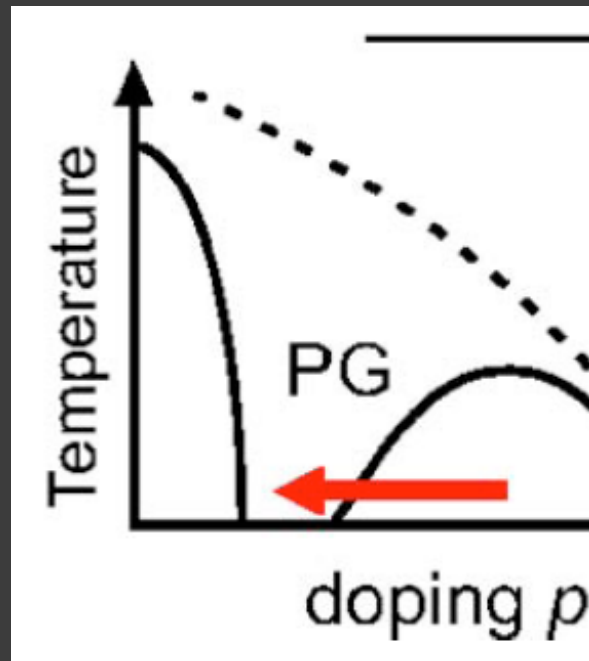
$T = 5.3$ K, $H = 0$ T



Pseudogap patches

- What is the origin of the pseudogap patches?

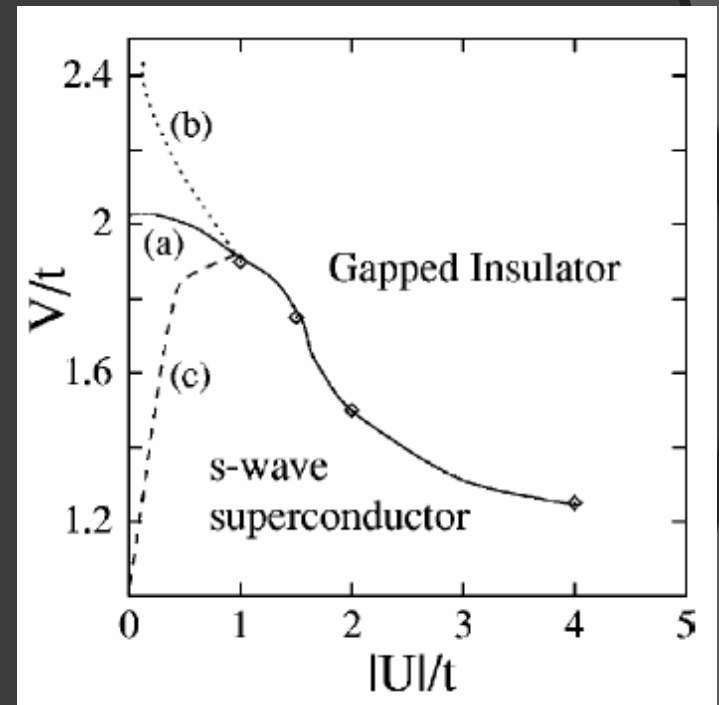
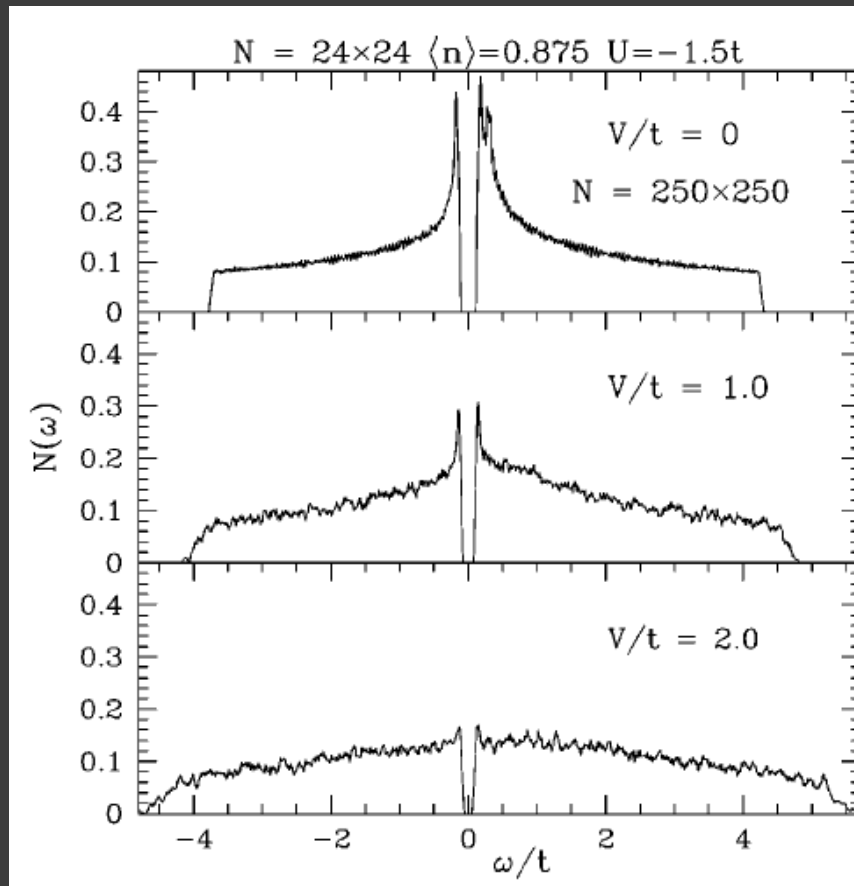
- Extremely underdoped regions?



Miyakawa et al., PRL 83, 1018 (1999)

Pseudogap patches

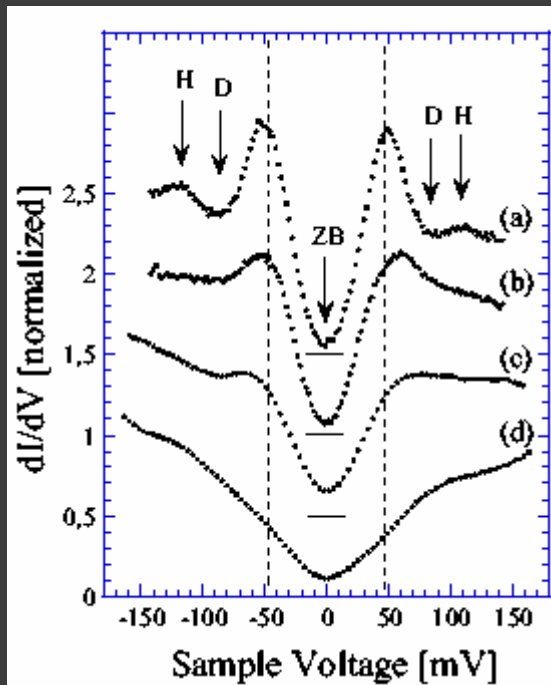
- What is the origin of the pseudogap patches?
 - Incoherent pairing induced by disorder?



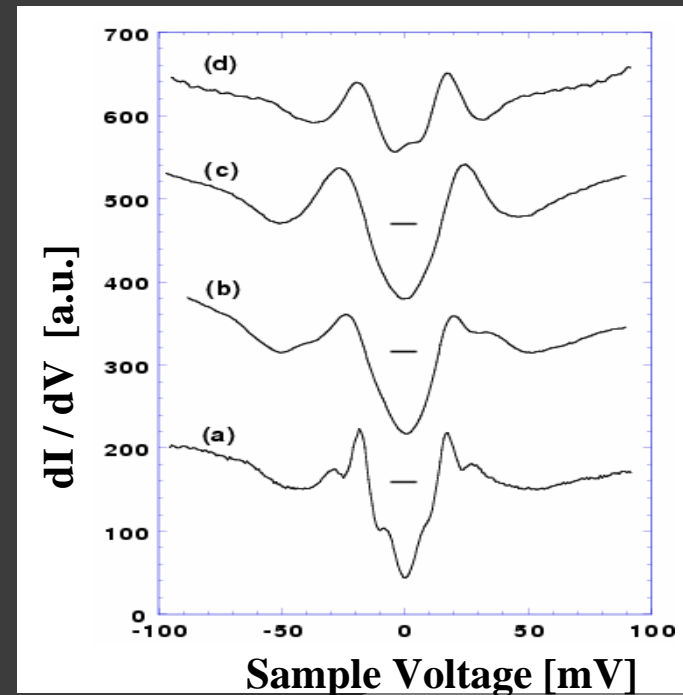
Inhomogeneous pairing in highly disordered s-wave superconductors

The peak-dip-hump structure as a measure of the superconducting amplitude

The gap Δ is no more related to the amplitude of the order parameter. The peak-dip-hump structure seems to be a good indicator of the local amplitude of the condensate.

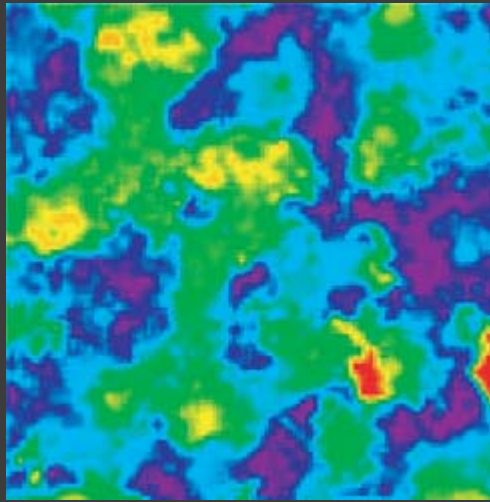


Conductance spectra in Bi-Pb-2212 single-crystal

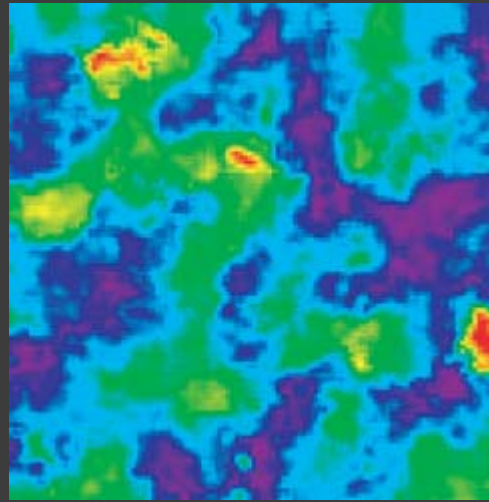


Scanning Tunneling Spectroscopy of an $\text{YBa}_2\text{Cu}_3\text{O}_7$ thin film at 4,2 K.

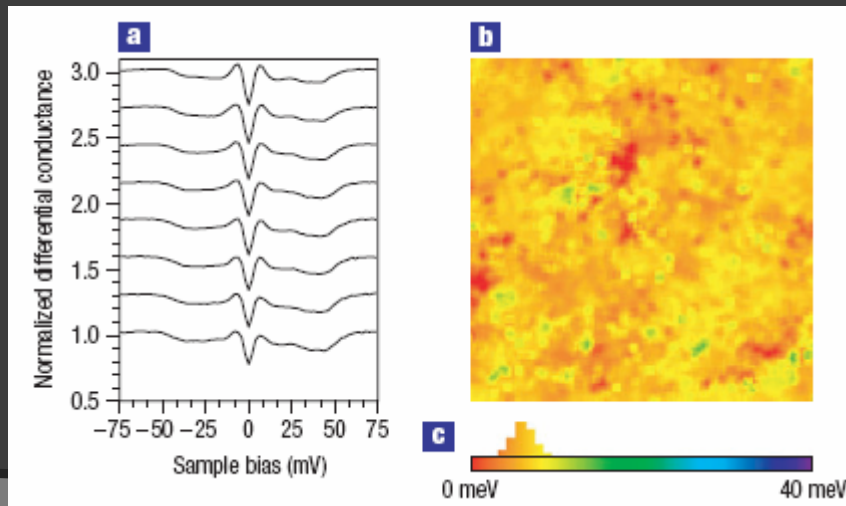
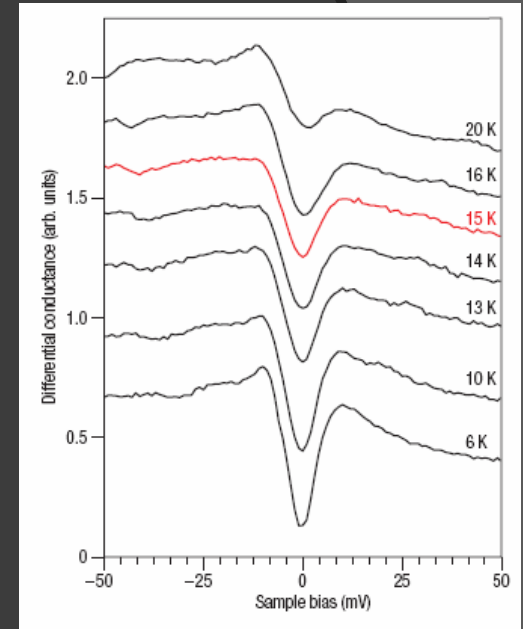
The two gap in Bi2212 : Nodal coherent excitations



Gap-map @5K, $T < T_c$



Gap-map @17K, $T > T_c$



Normalized spectra and gap-map:
 $g(E, r, 6K)/g(E, r, 16K)$

➡ Homogeneous 6 meV minigap:
nodal coherent excitations?

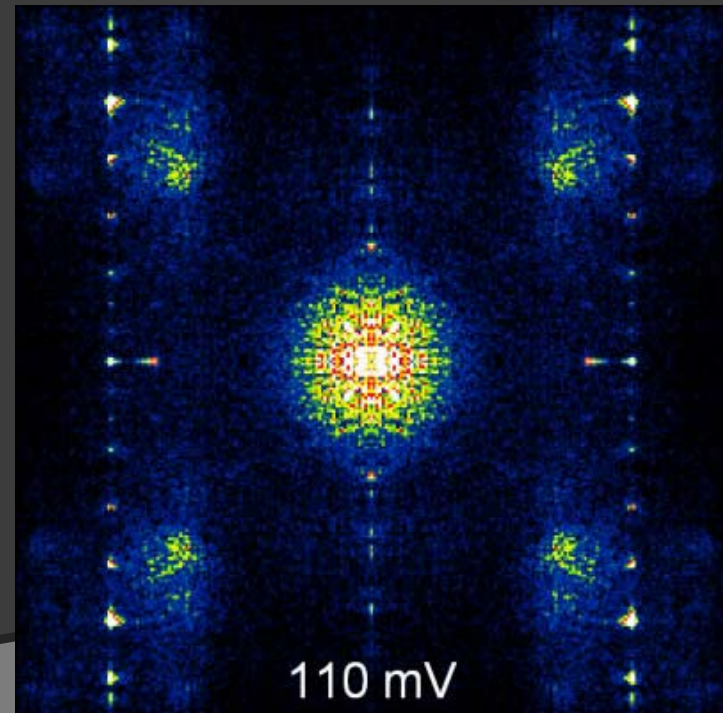
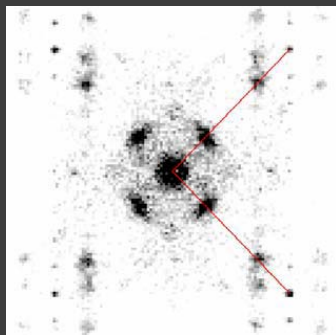
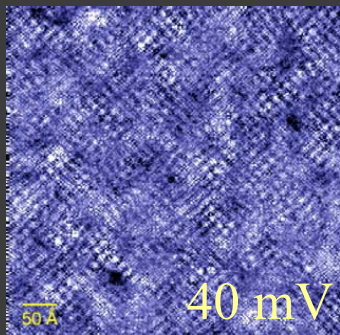
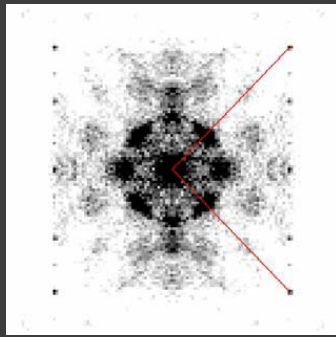
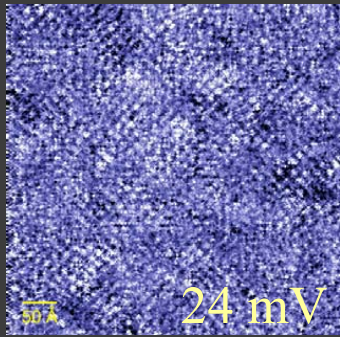
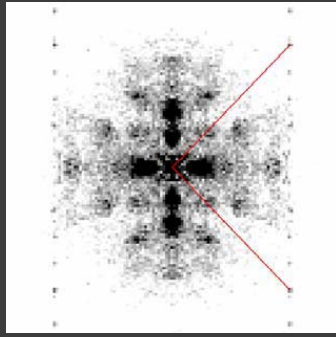
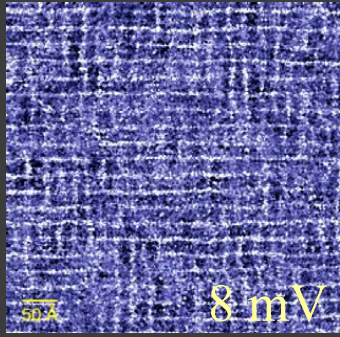
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Quasiparticles Interferences

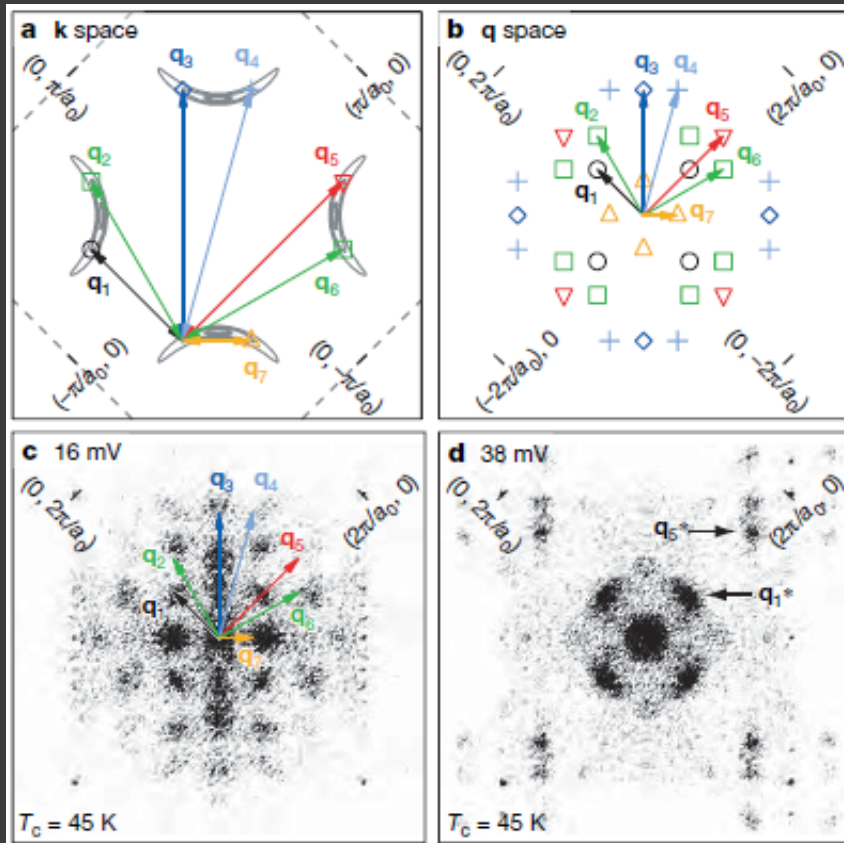
Z maps and their Fourier transform, the Z maps are defined by:

$$Z(\mathbf{r}, V) = \frac{\frac{dI}{dV}(\mathbf{r}, +V)}{\frac{dI}{dV}(\mathbf{r}, -V)}$$



$\text{Bi}_2\text{Sr}_2\text{Ca}_{0.8}\text{Dy}_{0.2}\text{Cu}_2\text{O}_8$ $T_c = 45 \text{ K}$

Bogoliubov Quasiparticles Interferences



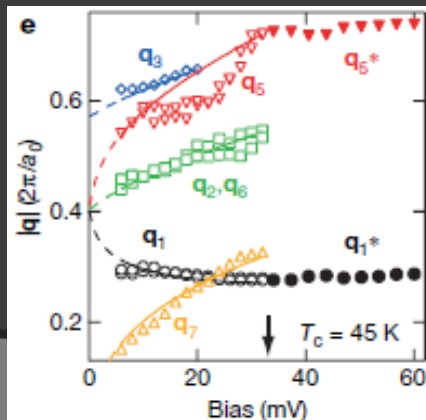
The diffusion \mathbf{q} vectors are given by to the Bogoliubov arcs :

$$E_k^2 = \epsilon_k^2 + \Delta_k^2 = \text{cte}$$

Fourier transform of the Z maps defined by :

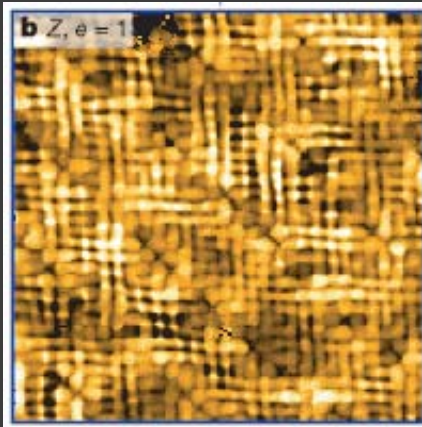
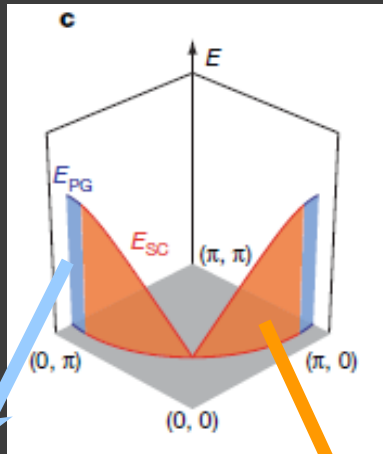
$$Z(\mathbf{r}, E = eV) \equiv \frac{g(\mathbf{r}, +V)}{g(\mathbf{r}, -V)} = \frac{|u(\mathbf{r}, eV)|^2}{|v(\mathbf{r}, eV)|^2}$$

$$\Psi = \prod \left[u(\mathbf{r} - \mathbf{r}') + v(\mathbf{r} - \mathbf{r}') c_{\downarrow}^{\dagger}(\mathbf{r}) c_{\uparrow}^{\dagger}(\mathbf{r}') \right] |0\rangle$$

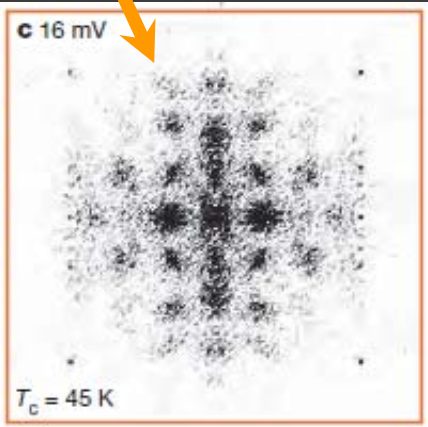


A dispersive structure is observed near the nodes, while a non-dispersive $4 \times 4 a_0$ pattern appears at higher energy near the antinodes.

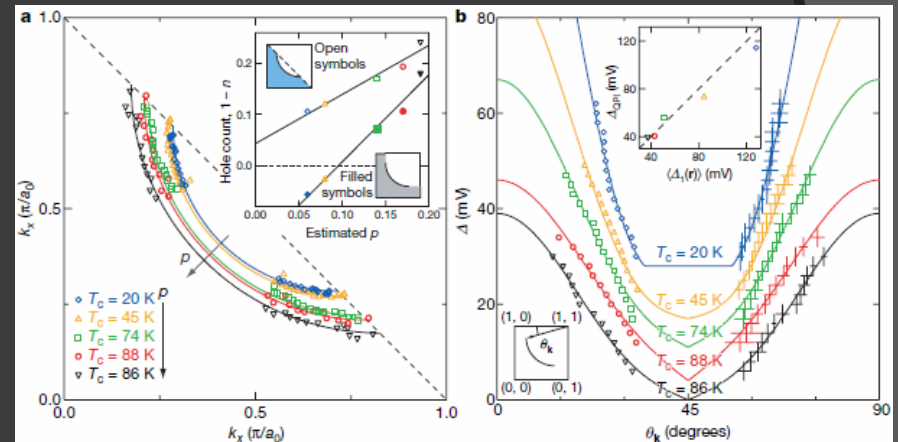
The low-energy nodal quasiparticle interferences versus the non-dispersive 4x4 pattern



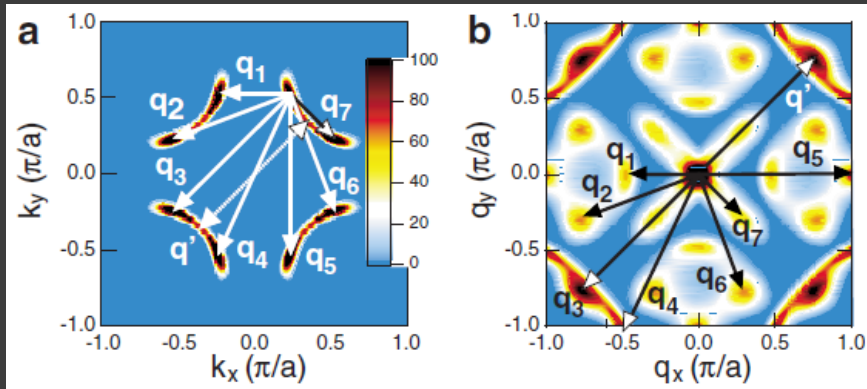
4x4 pattern



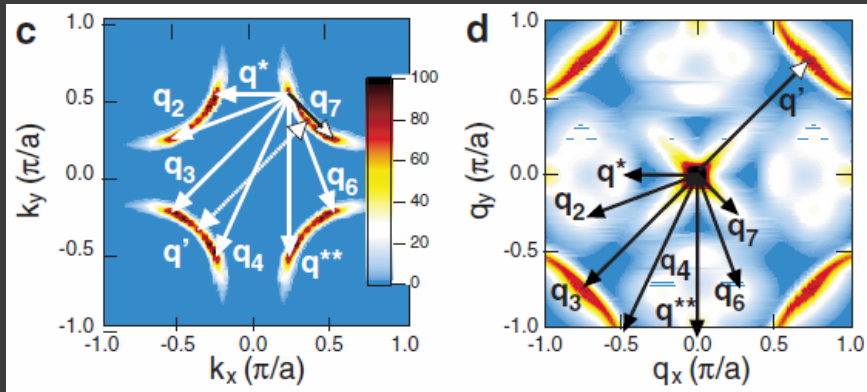
Bogoliubov
quasiparticles
Interferences



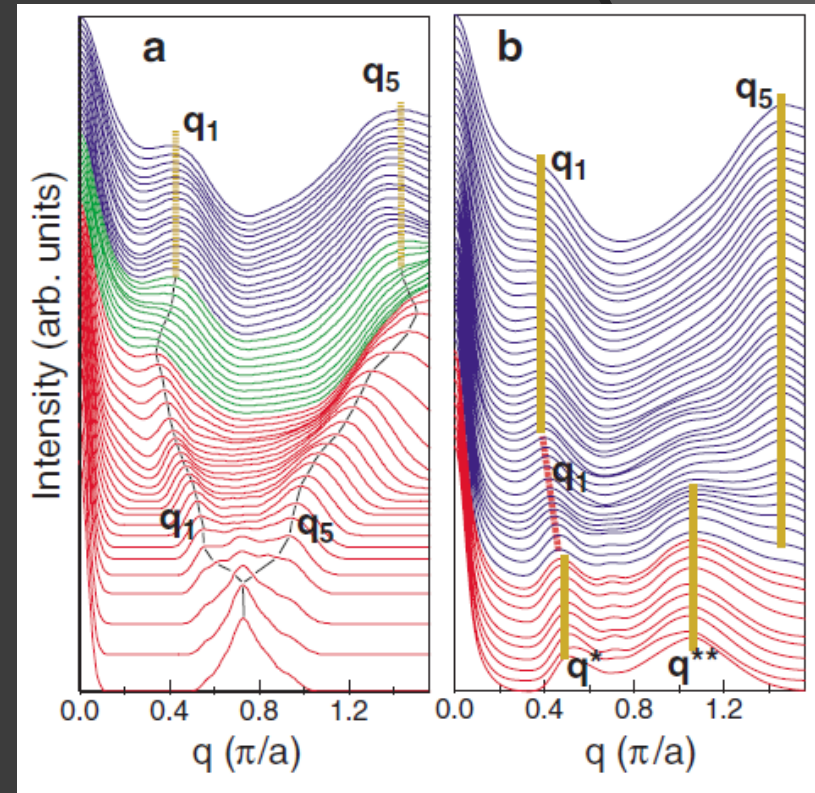
Bogoliubov arcs as seen by ARPES



Constant energy intensity map and autocorrelation at 18 meV in the superconducting state of Bi2212, showing all the vectors consistent with the octet model.



Constant energy intensity map and autocorrelation at 0 meV in the pseudogap state, showing all the vectors consistent with the octet model.

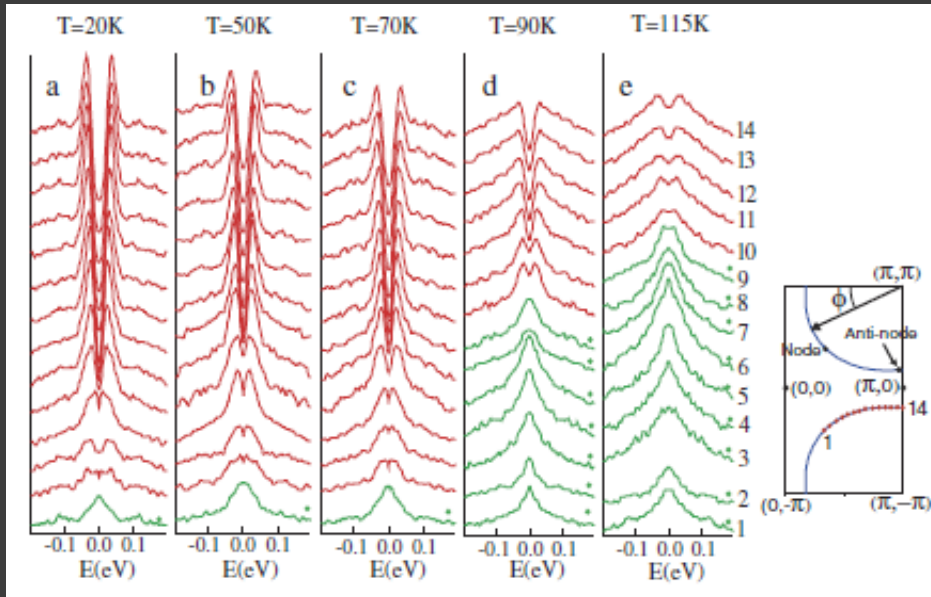


Superconducting state

pseudogap state

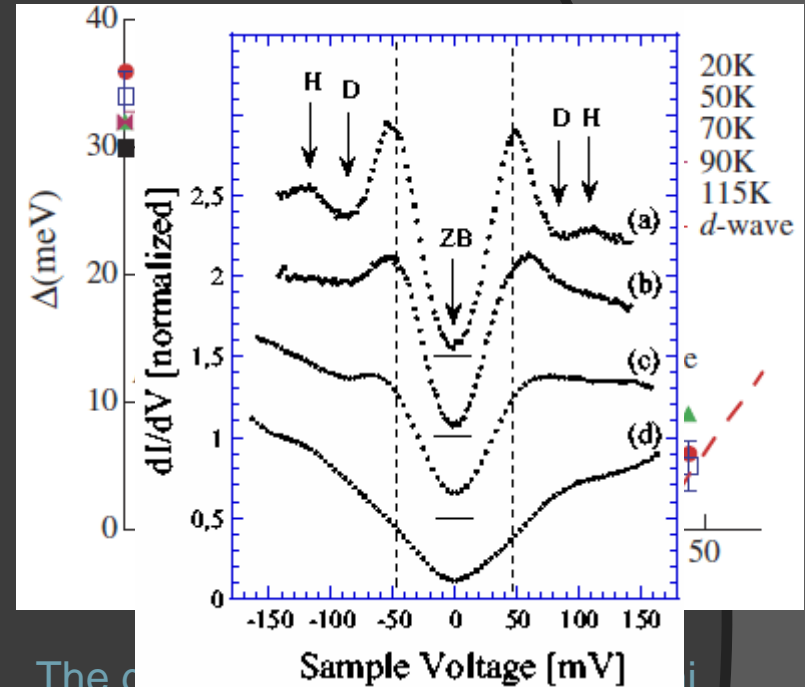
The correlation in the superconducting state measured from 0 to 98 meV show a strong dispersion at low energy, while q_1 and q_5 in the pseudogap are almost non-dispersive.

Fermi arcs as seen by ARPES



Symmetrized energy distribution curves (EDCs) for a Bi2212, $T_c = 80$ K, sample at various temperatures. The different EDCs cover the whole Fermi surface from the node (lowest curve) up to the antinode (uppermost curve).

Below T_c the Fermi arcs are reduced to the nodes (45°) while the gap amplitude at the antinodes 0° is almost unchanged. Nevertheless, a strong peak-dip-hump structure appears at 0° in the superconducting state.



The gap structure in the superconducting state is characterized by the surface angle measured from the zone boundary.

- (a) Long range superconductivity
- (b) Small range superconductivity
- (c) Pseudogap

The gapless angles in the pseudogap state corresponds to the « Fermi arcs ».

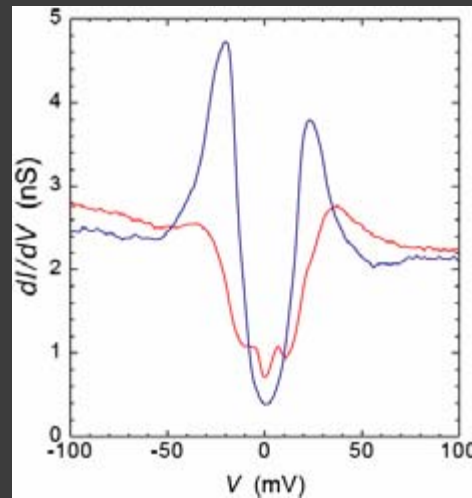
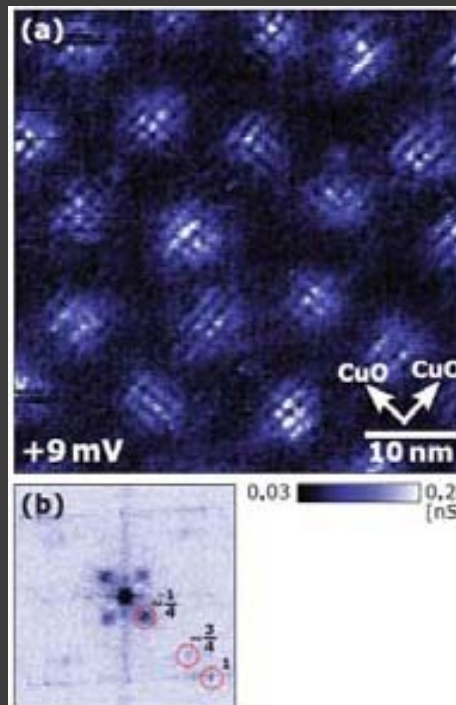
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Vortices in Bi2212 and YBCO

4x4 square pattern in the vortex core of Bi2212, modulation along CuO bonds

(Hoffmann et al., Science 295, 466 (2002)).



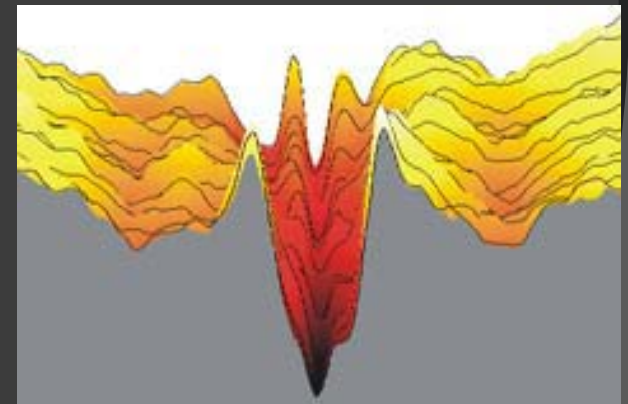
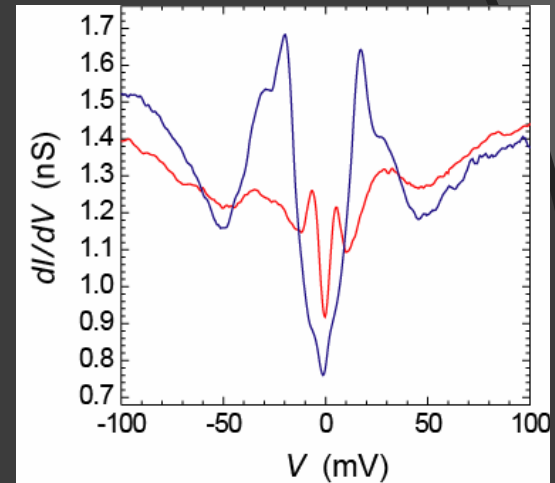
G. Levy et al., PRL 95, 257005 (2005)

Matsuda et al. (2007)

-Non-dispersive 4x4 square pattern

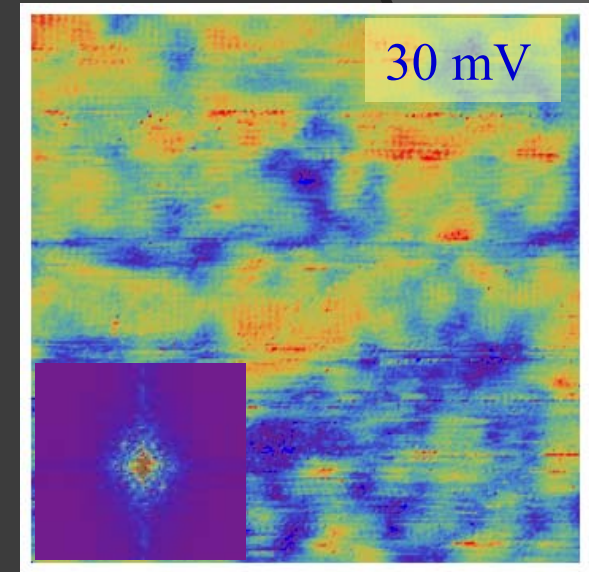
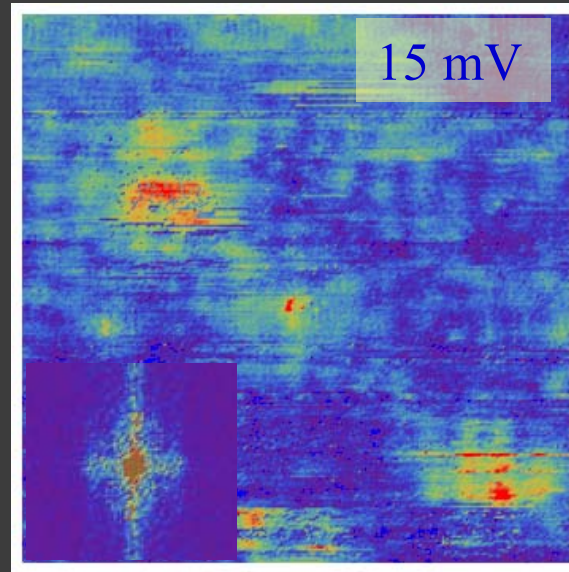
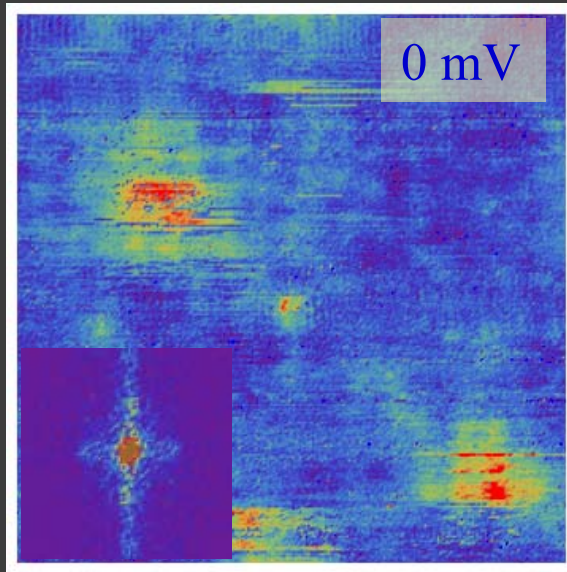
-Seen in pseudogap phase

YBaCuO, 6T, 4.2K



I. Maggio-Aprile et al., PRL 75, 9208 (1995)

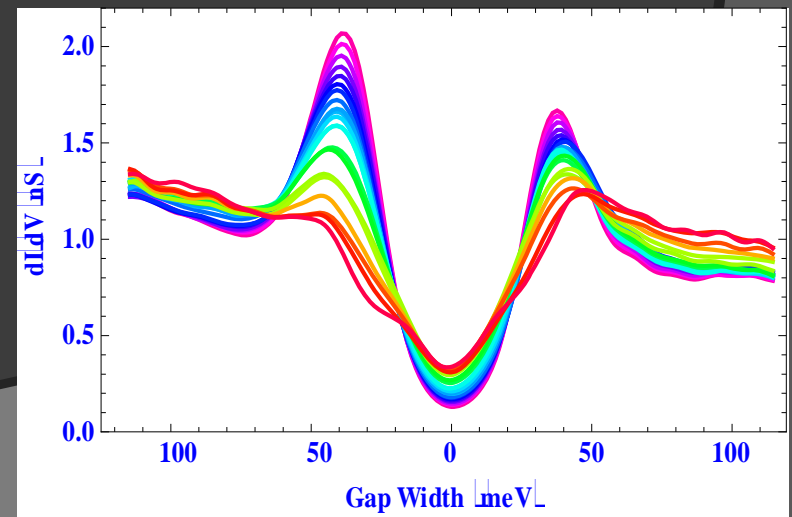
Vortices in overdoped Bi2223



Conductance maps 30x30 nm,
 $H = 6$ T, $T = 5.2$ K

The 4x4 pattern seems to
propagate in the weak
superconducting regions.

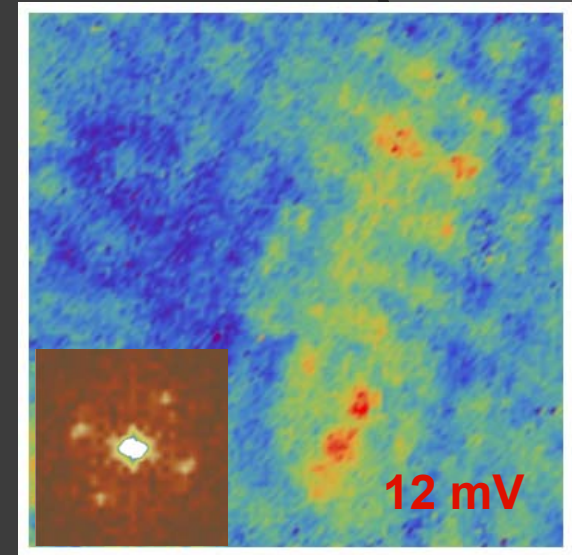
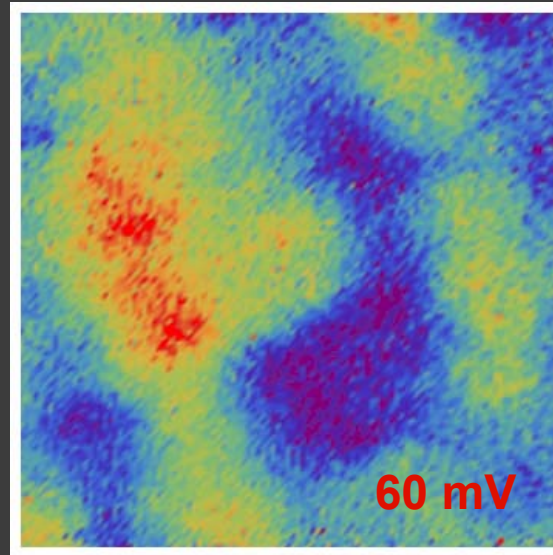
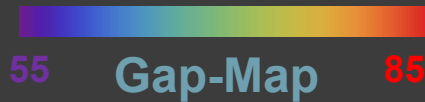
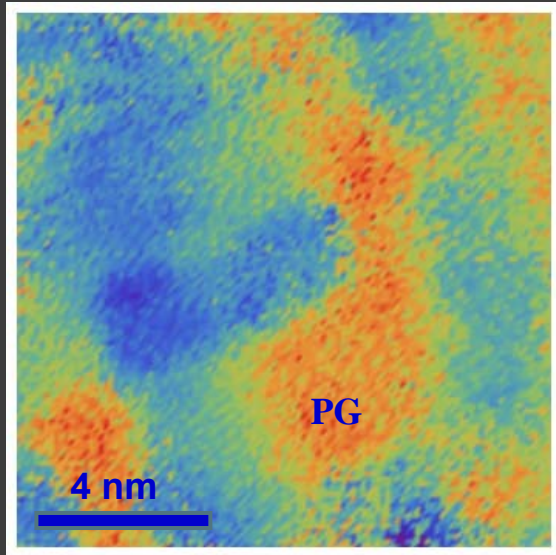
Vortex
profile



$T_c = 103$ K, $\Delta T_c = 0.8$ K.

Pseudogap patches in underdoped Bi2223

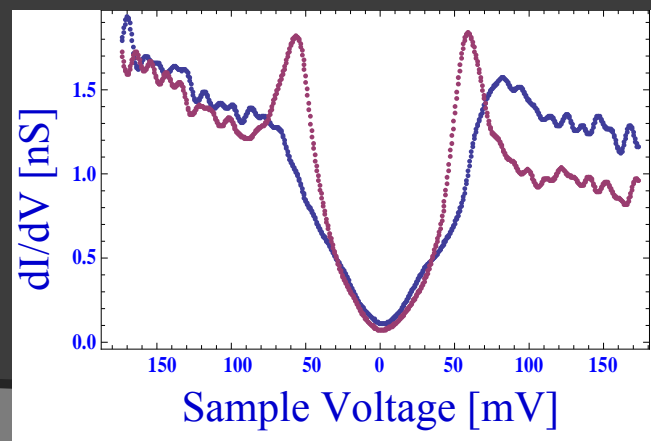
Underdoped Bi2223, $T_c = 103$ K, $\Delta T_c = 3.5$ K.



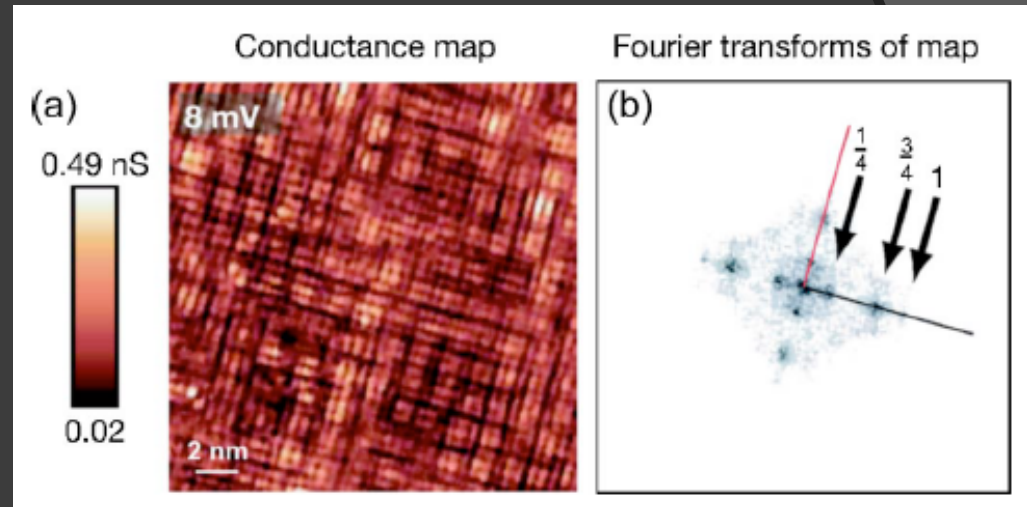
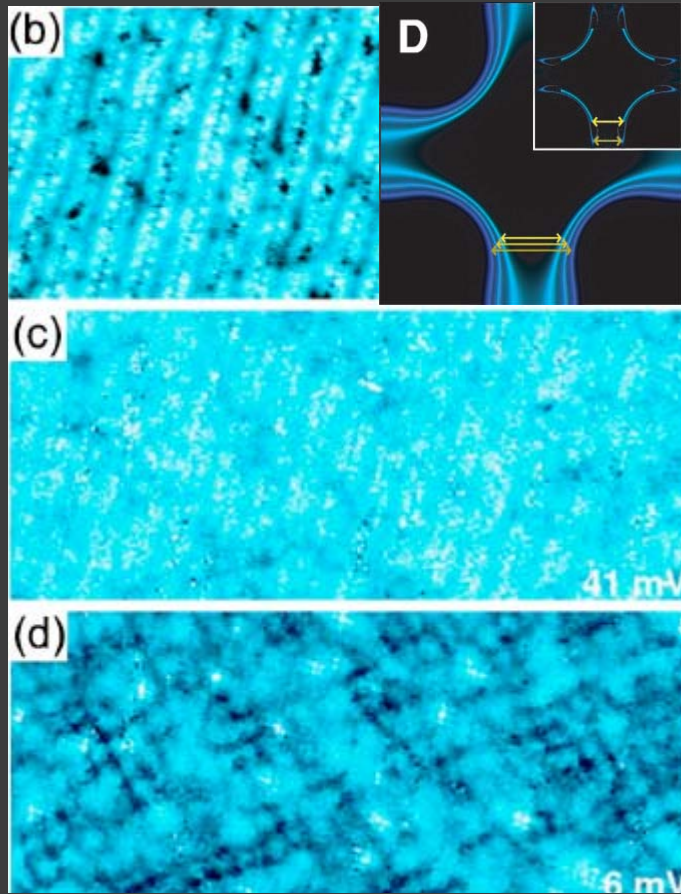
$T = 5.3$ K, $H = 0$ T

- The 4x4 pattern is present in the pseudogap-like regions but also in the weak superconducting regions

- Same sub-gap states as in vortex cores



4x4 pattern in the pseudogap phase



4x4 charge modulation in strongly underdoped $\text{Ca}_{2-x}\text{Na}_x\text{CuO}_2\text{Cl}_2$. Non-dispersive.

T. Hanaguri et al., Nature 403, 1001 (2004)

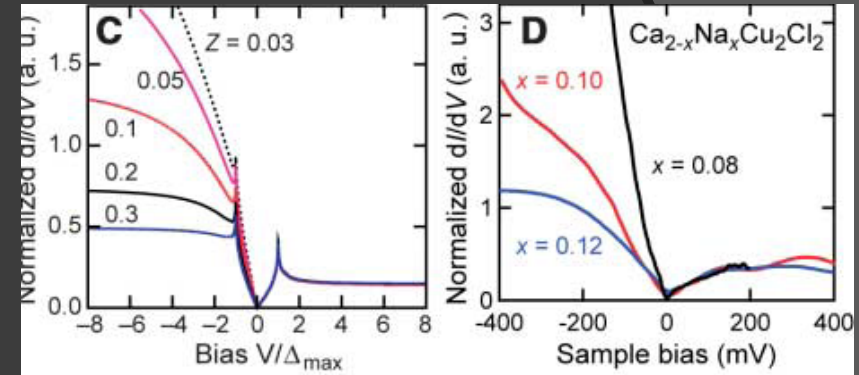
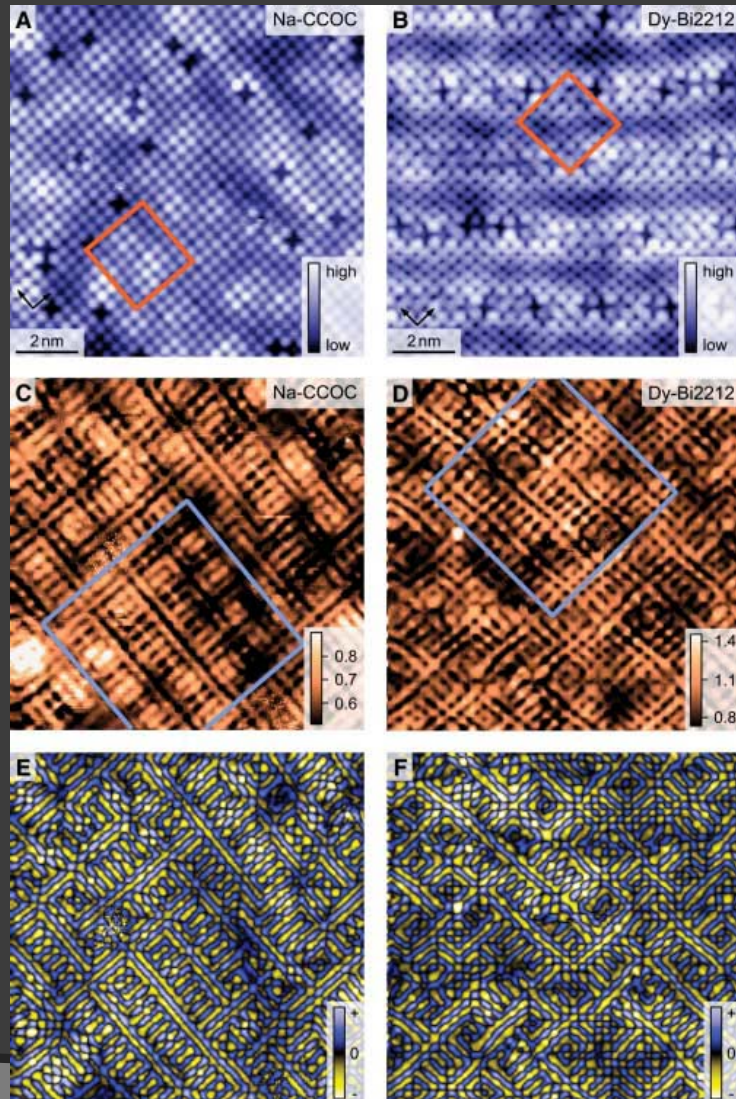
Bi2212, T=100K. A $\sim 4 \times 4$ square pattern is seen in pseudogap phase above T_c .

M. Vershinin et al., Science 303, 1995 (2004)

Unidirectional $4a_0$ structure in underdoped cuprates

Partial hole localization?

Y. Kohsaka et al., Science 315, 1380 (2007)



Images of strongly underdoped Na-CCOC and Dy-Bi2212

Asymmetry R maps taken at 150 mV:

$$R(r, V) = I(r, V)/I(r, -V) \sim 2n/(1-n)$$

Large R (bright) corresponds to more symmetric tunneling spectra.

Images of ΔR (Laplacian) computed from the asymmetry maps showing the atomic-scale arrangements of the spatial patterns.

Bond-Centered Electronic Glass or Stripes?

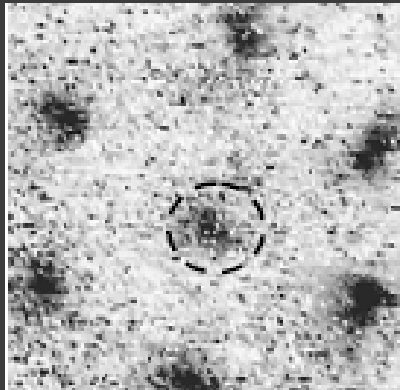
Conclusions

- ◉ Strong sensitivity of the gap and pseudogap towards weak disorder, probably **extrinsic**.
- ◉ The amplitude of the peak-dip-hump structure seems correlated to the superconducting order.
- ◉ The nodal excitations are clearly related to the superconducting order.
- ◉ The $4a_0$ modulation seems to be an **intrinsic** feature of the strongly-underdoped and pseudogap phases : hole localization, stripes?
- ◉ The weaker the superconducting order, the stronger the $4a_0$ modulation: orders in competition?

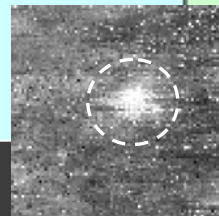
How to determine the local superfluid density

- The gap is no more related to the amplitude of the order parameter : $2\Delta/kT_c$ diverges with underdoping
- The Josephson current could help to determine the order parameter

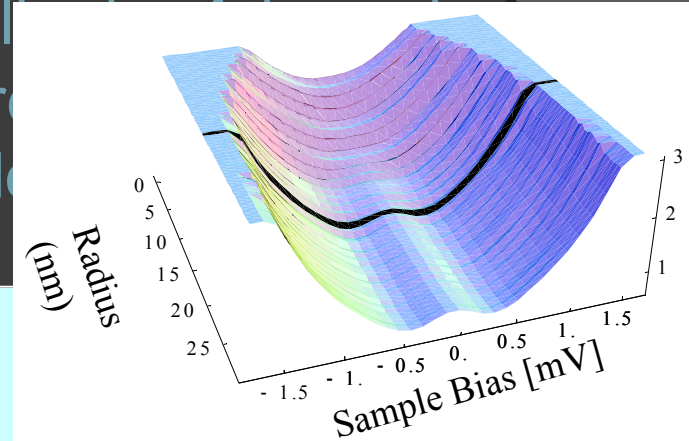
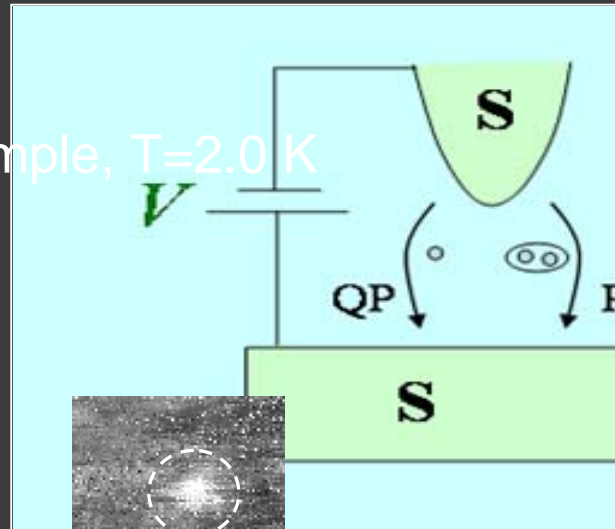
MgB₂ tip, V₃Si sample, T=2.0 K



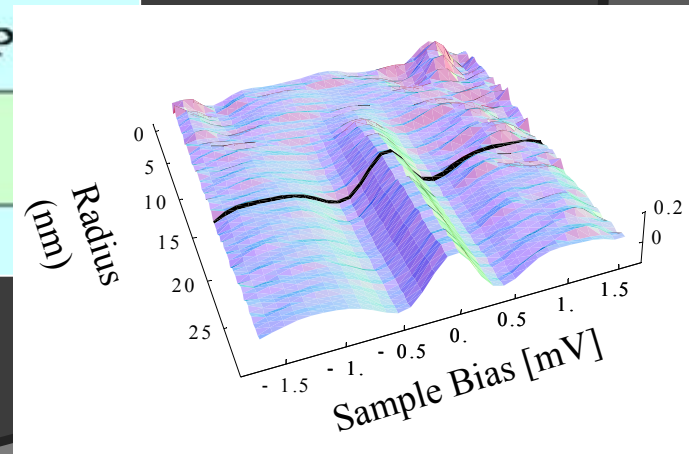
SIS conductance map
H=1,15 T, 150x150 nm²



Josephson map



Josephson profile



Josephson profile, background subtracted